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Glybatomaqtm312317b: Ab Initio Systematic Methodologies for Calculating Relative Solvation Free Energies of a Novel Series of Nano-Ligands [Nosunolin] Targeted the PHF20-Mediated Glioma and Glioblastoma Cell Apoptosis



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ABSTRACT

Free energy perturbation [FEP] ab initio quantum mechanics [QM] methods were developed for calculating relative solvation, treating the solute molecules and molecular mechanics [MM] for treating the surroundings are expected to enhance the speed and increase its use for drug design and lead optimization. Despite some success in applying QMMFEP methods to both computer-aided drug design and fragment-lead based optimization, QMMFEP calculations are rarely used in the drug discovery and pharmaceutical industry. Through the regulation of ETS1, it may play a role in angiogenesis, controlling endothelial cell motility and invasion. Future automation of the method and parallelization of the code for Linux 128/256/512 clusters is expected to execute electronic nose quantum noosphere improved quantum artificial fish docking algorithm application enhance the speed and increase its use for drug design and lead optimization. In this study, we introduce Glybatomaq, an ab initio systematic parametrization of polarizable force fields from quantum chemistry mechanics-based free energy perturbation method for calculating relative solvation free energies for systematic force field optimization on force-momentum-based self-guided Langevin dynamics with the ability to parametrize a wide variety of functional forms using flexible combinations of reference data. We outline several important challenges in force field development and how they are addressed in Force Balance, and present an example calculation where these methods are applied to understand what choice of the region S leads to the highest success probability in decision making from quantum information Glybatomaq™ superposition states Docking Algorithms in Transmission Mode Implementation of controlled quantum teleportation with an arbitrator for secure quantum channels via quantum dots inside enzyme cavities and development of a highly accurate polarizable novel Nano-ligand targeted the regulation of the ETS1, CASP8AP2 and FAS, LGI1, EPTP-ADAM22 Tudor domain of human PHF20-mediated Glioma and Glioblastoma cell apoptosis.

INTRODUCTION

Glioblastoma multiforme [GBM], which is classified by the World Health Organization as a grade IV glioma, exhibits a high morbidity and mortality, comprising 47.1% of all malignant tumors of the central nervous system [1,2]. In total, ~13,000 people in America are diagnosed with GBM each year [3]. The main treatment of GBM is surgical resection in combination with radiotherapy or chemotherapy. However, the majority of patients relapse within the 7 months following their original diagnoses [4]. Furthermore, resistance to current chemotherapy leads to a heavy tumor burden for patients with GBM. Although novel treatments, including immunotherapy and molecular targeted therapy, have been in development for several years [5,6], the 5-year survival rate is relatively low, with a median survival time of 15 months [4], indicating the urgency of determining novel therapies. Glioblastoma multiforme [GBM, WHO grade IV] is the most common and lethal subtype of primary brain tumor with a median overall survival of 15 months from the time of diagnosis. The Lindenbaum-Tarski algebra geometrically represented the modal equivalence classes with logical spaces in different ways under the equivalence relation and has been previously introduced as a 3D logical space subspaces allowing an automated vectorial representation in which anyone [of the eigenvalue statements] occupies a well-defined position on the equivalence classes and it is identified by a numerical ID when p and q are provably equivalent in T . This shows the application by factoring the algebra using decision procedures to quantum computing of formulas through the example of three coupled harmonic oscillators and proof assistants that allows pure mechanical computation both for generating algorithmic questions, rules and inferences. It is shown that this abstract formalism by this congruence relation can be geometrically represented with logical spaces and subspaces allowing a vectorial representation provided the logic is classical. MicroRNAs [miRNAs] are a class of small non-coding RNAs comprising ~19–23 nucleotides [7]. BiogenetoligandoroITM's uses the accuracy of electric charges plays an important role in protein–Glybatoma qTMTMligand docking, which is why QM-MM calculations are incorporated into docking procedures. Though Scheibe's austere formulation is remote from the normal practice of QM, it does not significantly differ from the functional interpretation implicit in normal practice. Fixed charges of Glybatoma qTMTMligands obtained from force-field parameterization are replaced by QM-MM calculations in the protein–Glybatoma qTMTMligand complex, treating only the Glybatoma qTMTMligand as the quantum region. BiogenetoligandoroITM's uses the QMMMIDD quantum thinking approach that provides

unprecedented accuracy in fragment Glybatoma qTM™ligand based structure-based binding-energy calculations that enable formalistic application of QM methodologies to noncovalent hypergeometric and intra topology meta-Docking Interactions in complex systems as large as protein– Glybatoma qTM™ligand druggable complexes and conformational ensembles. BiogenetoligandoroITM's uses the accuracy of electric charges plays an important role in protein–Glybatoma qTM™ligand docking, which is why QM-MM calculations are incorporated into docking procedures. Though Scheibe's austere formulation is remote from the normal practice of QM, it does not significantly differ from the functional interpretation implicit in normal practice. Fixed charges of Glybatoma qTM™ligands obtained from force-field parameterization are replaced by QM-MM calculations in the protein–Glybatoma qTM™ligand complex, treating only the GlybatomaqTM™ligand as the quantum region. BiogenetoligandoroITM's uses the QMMMIDD quantum thinking approach that provides unprecedented accuracy in fragment Glybatoma qTM™ligand based structure-based binding-energy calculations that enable formalistic application of QM methodologies to noncovalent hypergeometric and intra topology meta-Docking Interactions in complex systems as large as protein– Glybatoma qTM™ligand druggable complexes and conformational ensembles. A PPI network was constructed using STRING [24], a database that provides functional interactions among proteins. Furthermore, eight genes of the miRNA associated DEGs were enriched in the glioma pathway, indicating their important roles in GBM. Each of the eight genes was targeted by more than one miRNA and one miRNA targeted more than one gene. miRNAs primarily exert effects via destabilization or translational repression by targeting the 3' untranslated region of [1-24] mRNA transcripts in the cytoplasm [7].

MATERIALS AND METHODS

Molecular docking analysis and Drug discovery in BiogenetoligandoroITM Softwares.

Molecular docking between the proteins encoded by miRNA-associated DEGs and filtered chemicals was performed using BiogenetoligandoroITM [6-18]. Protein crystal structures [4-15] were downloaded from the Research Collaboratory for Structural Bioinformatics Protein Data Bank [PDB] [28] and chemical structures were obtained from PubChem [13-17]. The eight genes, including four that were upregulated and four that were downregulated [6-20] were submitted to the BiogenetoligandoroITM web tool as up and down tags to acquire [7-31] latent drugs in the therapy for GBM. First, the protein crystal structure was imported into [1-18] the BiogenetoligandoroITM 2.1.1 software on the BiogenetoligandoroITM interface

[13-50]. Compounds in the mol2 format were then imported into the software on the Docking interface and protein-ligand docking was run under the BiogenetoligandoroITM geom mode, after which a total score was exported, with these scores being directly proportional to the binding affinity.

Generation of a k-top scoring pairs classifier, Pearson R: correlation between the predicted and observed activity for the Glybatoma qTM test set.

For generating a classifier that is robust across gene expression technologies, BiogenetoligandoroITM takes a nonparametric approach to classification and adopts an extension of the top scoring pairs [TSP] method [7]. Using the R package ktspair [2-7], BiogenetoligandoroITM generates a k-top scoring pairs [k-TSP] classifier for predicting the status of the phenotype of interest on independent samples. The k-TSP algorithm is described in ANNEXIA-IIA, IIB Table Methods. [3-7], Other than above parameters, the robustness of developed model was also checked by Y-randomization [randomization of response] test. [19-23] This methodology helps to determine the robustness of a selected model and the significance of statistical results obtained. It requires a random scrambling of dependant variable [Y] of the training set molecules to produce new training sets those are dissimilar to the original [4-44].

Candidate Glybatoma qTM rank-based drug identification.

BiogenetoligandoroITM connects gene expression changes associated with the phenotype of interest with candidate drug compounds that induce a negatively correlated [or “negatively connected”] gene expression profile. [19-44] BiogenetoligandoroITM compares the phenotype gene expression changes, termed a query signature, with rank-based gene expression profiles induced by BiogenetoligandoroITM compounds.

BiogenetoligandoroITM: Basic Concept: Molecular Dynamics, Monte Carlo Simulations, Langevin, Dynamics

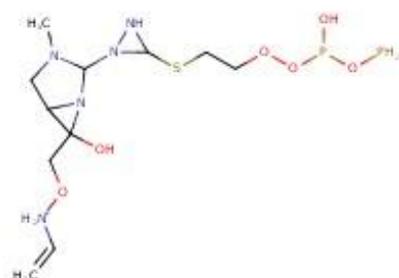
Langevin dynamics is a system of $x_i = v_i$, $v_i = -m_i^{-1} \nabla_i U(x) - \gamma v_i + \sigma m_i^{-1/2} W_i$. $\pi(x, v) \propto e^{-\beta E(x, v)} \propto e^{-\beta U(x)} e^{-\beta K(v)}$, $x = v$, $v = M^{-1} U(x) + \gamma v + \Sigma m^{-1/2} W$. $DKL(p||q) = \int dx p(x) \ln(p(x)/q(x))$. $[x, v] = [v|0] \{ R + [0 - M - I U(x)] \{ V + [0 - \gamma v + 2 \gamma (\beta M)^{1/2} W] \}$ $Oe^{L\Delta t} \approx e^{L O V R V O \Delta t} = e^{L O \Delta t} e^{2 e^{L V \Delta t} e^{L R \Delta t} e^{L V \Delta t} e^{L O \Delta t}$. $R: e^{L R \tau} : [\Delta x \Delta v] = [v | 0] \tau V: e^{L V \tau} : [\Delta x \Delta v] = [0 - M - I U(x)] \tau O: e^{L O \tau} : [\Delta x \Delta v] = [0(a(\tau) - 1)v + 1 -$

$$\begin{aligned}
 & a(\tau)2(\beta M)-1/2\xi]vk+1/4=vk-At2M1\pi; \Lambda(w)\rho; \Lambda)=12(\langle wshad \rangle \pi; \Lambda \langle wshad \rangle \rho; \Lambda), \omega(x,v) \equiv \rho(x) \\
 & \pi(v|x), DKL(\omega||\pi) = \int dx dv \omega(x,v) \ln[\omega(x,v)\pi(x,v)] \quad \int dx dv \rho(x)\pi(v|x) \quad [37-49], \\
 & \ln[\rho(x)\pi(v|x)\pi(x)\pi(v|x)] = \int dx \rho(x) \left[\int dv \pi(v|x) \right] \ln[\rho(x)\pi(x)] \int dx \rho(x) \ln[\rho(x) \\
 & \pi(x)] = DKL(\rho||\pi) = DKL(\rho||\pi) = DKL(\omega||\pi) \approx 12(\langle wshad \rangle \pi; \Lambda \sim \langle wshad \rangle \rho; \Lambda \sim \langle wshad \rangle \omega; \Lambda \sim) \\
 & = 12(\langle wshad \rangle \pi; \Lambda \sim \langle wshad \rangle \omega; \Lambda \sim) = 12(\langle wshad \rangle \pi; \Lambda \sim \langle wshad \rangle \omega; \Lambda \sim) \\
 & = 12(\langle wshad \rangle \pi \langle wshad \rangle \omega). \tilde{A} \tilde{A} DKL(\rho||\pi) = \int dx dv \rho(x,v) \ln[\rho(x,v)\pi(x,v)] = \langle \ln[\rho(x,v)\pi(x,v)] \rangle \rho = \langle \ln[\pi(x,v) \langle e-w \rangle x,v; \Lambda \sim \pi(x,v)] \rangle \rho = \langle \ln \langle e-w \rangle x,v; \Lambda \rangle [39-50]
 \end{aligned}$$



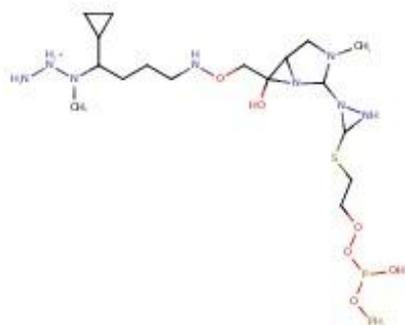
Figure No. 1: 3D Docking Interactions of the Glybatomaq TM51ge5d29a39e1317d within the Structure of Rbtumor suppress or bound to the trans activation do main of E2F2[PDB:1N4M].GlybatomaqTM_GlybatomaqTM_ligand_95f8bc27c2_1_run_20.lo,Mode l:1,T.Energy:17851.883,I.Energy:16498.112,vdW:16493.841,Coul:4.271, NumRotors:26,RMSD:6.169,Score:33.453,\$Number_of_Clusters=10,\$Seed=1985,\$Leader_I nfo1[,Num_Members=33,Total_Energy=29218.194, vdW=28344.673, Coulomb=-0.687, Internal = 874.208].

Table No 1: 2D Structures and spectrum parameters of the Glybatomaq™ small molecule.



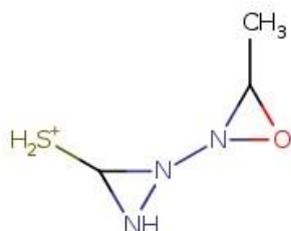
99 416.0917042

C=C[NH2+]OCC1[O]C2CN[C]C[N3NC3SCCOOP[O]OP]N21



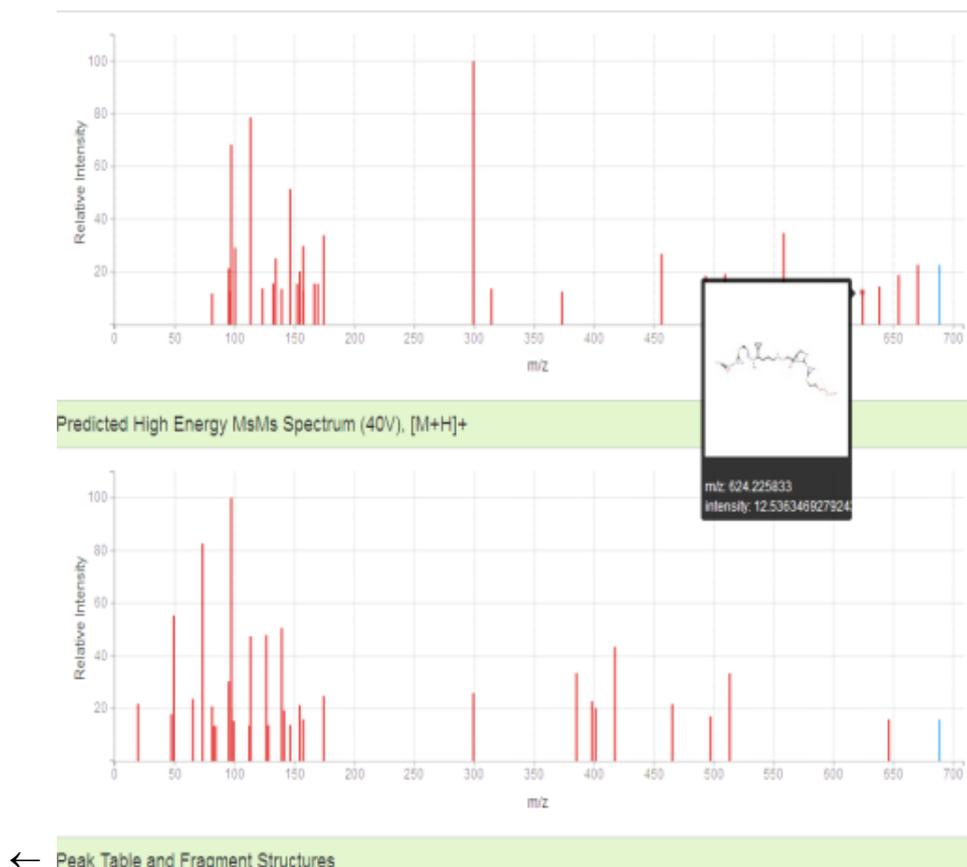
64 545.2183016

CN[[NH2+]N]C[CCCN]OCC1[O]C2CN[C]C[N3NC3SCCOOP[O]OP]N21]C1CC1



65 134.0382593

CC1ON1N1NC1[SH2+]



← Spectrum Prediction Input Parameters:

C1CCN=C[C1][C@@H]1C[C@@H][[C@H][

C[=N1]C[=O]/N=C/1\CN=C[C@@H][[C@@H]1N1CCC[C

Parent Compound Structure

[SMILES Format] @@H][C1]N]OC[C@@H][C[C@@H]1NN[CCN1N]/N=C/1\C[C@

]N][C@@H]1S[C@H][COC2=NO[C@@H][C[C@H]3C/C[=N/C]/[C@@H]4[C@H]

[/C/3=N\C]NC=N4]C2]S1

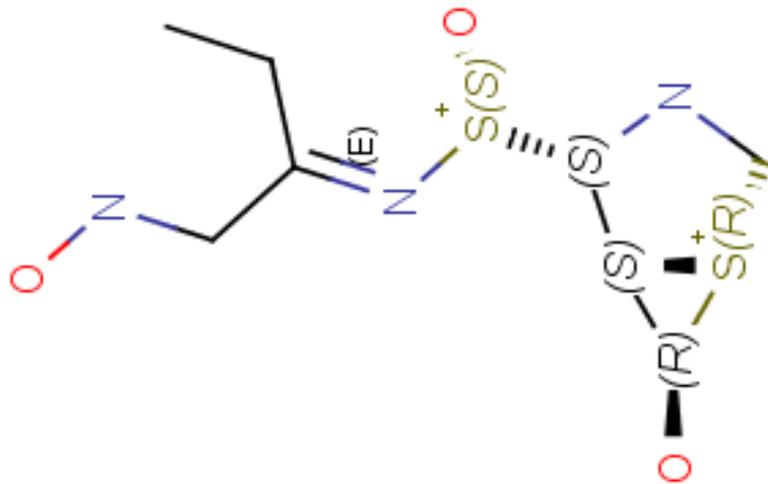
Parent Compound

1299.6569109198801

Mass

Spectra Type

ESI



RESULTS AND DISCUSSIONS

In this study we find transformations between quantum reference frames, and show how the state, the dynamics, and the measurement change under these transformations. We show that the notion of entanglement and superposition are observer-dependent features, and we write the Schrödinger equation in quantum reference frames. Furthermore, we introduce a generalised notion of covariance of physical laws for quantum reference frames:

$$E(H) = U(H \otimes P \otimes H^- \otimes Q)U^\dagger \quad H^- E(H) = V(H \otimes P + H^- \otimes Q)V^\dagger \quad E \sim (H) = V \sim (H \otimes P + H^- \otimes Q)V \sim^\dagger$$

$$E \sim (1) = P \leq \Delta(H') \| V \sim - V \| \leq \eta \| H \leq \Delta' - E \sim (H) \| \leq \epsilon H \leq \Delta' = P \leq \Delta(H') H' E \sim E \sim | ZH'(\beta) - (p+q)ZH(\beta) | (p+q)ZH(\beta) \leq dm - ne - \beta \Delta(p+q)e - \beta \| H \| + (e\epsilon\beta - 1). Estate(N(\rho)) = N'(Estate(\rho)) + O(\eta), H' = H \otimes + y \{ + H^- \otimes - y \} | \pm y \} = (0 \{ \pm i | 1 \}) / 2 \Delta t \Delta E \geq 12 H meas. = c H meas. e - i H meas. \Delta t = \sum j e - i e j \Delta t e j e j, H meas. = \sum j e j \Delta t mod 2 \pi e j e j \quad H meas. = H meas. = U meas. \psi E 0, 0 = \sum E', E'' a E, E', E'' \psi E' E'' \theta(E, E', E'').$$

$$\delta E \cdot T(n) \in \Omega 1 poly(n). \quad H = \sum i = 0 n \sigma i z. \quad UN, yx = x \cdot y mod N 0 \leq x < N x otherwise \quad HN, y = UN, y + UN, y^\dagger$$

$$UN, yt USEEM \psi E 0, 0 = \psi E \sum E' a E' E', \theta(E'), H = \sum j H j, H = \sum i, j m A i, j a i^\dagger a j + 12 \sum i j B i, j a i a j + 12 \sum i, j B j, i^* a i^\dagger a j^\dagger A = A^\dagger, B = B^\dagger \quad a i^\dagger, a i \quad mn \quad Pr E' E - E' \leq \delta E \geq \eta. \quad \delta E \cdot T(n) \in 1 poly(n) \quad \{ H n \} n = 1 \infty \quad \{ U n \} n = 1 \infty \quad \{ U n \} n = 1 \infty \quad \Delta E \leq \eta \delta E + 21 - \eta H \quad (1 - e - m 21 - 12 \eta 2, \delta E, m \beta) \quad \psi t = 2 - n / 2 \quad \sum y = 12 n y \otimes U ty.$$

We believe that the BiogenetoligandorolTMQMMID methods and the strategies developed here for a QM/polarized-MM implementation over the shell variables will be useful in the above equation to study more complex density functional theory (DFT) based CPMD problems which is conventionally defined in catalysis, reactions in solid-liquid interfaces, crystallization on the Born-Oppenheimer surface. Dipole moments of the model compounds were also considered during optimization of the electrostatic parameters. Presented in

[Table1] is the QM dipole moments along with Drude and additive values. In general, the Drude values are in good agreement with the QM data. The differences with the additive model are systematically larger as expected given that the QM data was not considered when optimizing that model. We note that the impact of the dipole moment on interactions with the environment is less important with charged species vs. polar, neutral compounds as the monopole on the ions dominates such interactions. Here, for the first time we are introducing the Biogenetoligandorol™'s drug design methodologies that use the accuracy of electric charges plays an important role in protein–Glybatomaq™™ligand docking, which is why QM-MM calculations are incorporated into docking procedures. Though Scheibe's austere formulation is remote from the normal practice of QM, it does not significantly differ from the functional interpretation implicit in normal practice. Fixed charges of Glybatoma q™™ ligands obtained from force-field parameterization are replaced by QM-MM calculations in the protein–Glybatoma q™™ ligand complex, treating only the Glybatomaq™™ligand as the quantum region. Biogenetoligandorol™'s uses the QMMMIDD quantum thinking approach that provides unprecedented accuracy in fragment Glybatoma q™™ligand based structure-based binding-energy calculations that enable formalistic application of QM methodologies to noncovalent hyper geometric and intra topology meta-Docking Interactions in complex systems as large as protein– Glybatoma q™™ ligand druggable complexes and conformational ensembles for the treatment of the glioma and glioblastoma cancer conditions.

Future Directions

Independently, the work-based estimate for $\ln[\rho_X(x)/\pi(x)]$ we used in the expensive lower bound [Table1] could be useful for other analyses. For example, an estimate of $\ln[\rho_X(x)/\pi(x)]$ could be used to interpret what features of x are most distorted by integrator bias, e.g., by checking which features of x are most predictive of extreme values of $\ln[\rho_X(x)/\pi(x)]$. We also yield the two-dimensional Poisson distribution, about the derivation, is specific to the partition matching the integrable limit of the system, between configuration docking fitness scoring degrees equals the distribution obtained from the complex Ginibre ensemble, of freedom and velocities. We could also use this method to measure the KL divergence over any subset S of the state variables $z = [x, v]$, provided we can sample from the conditional distribution for the complementary subset S of the state variables: $\pi[z_S | zS]$.

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